## **Volume and Area Formulas**

<u>Conversion Betwe</u>	en Radians and Degrees	$2\pi$ radians = 3	60 degrees	$\frac{2\pi}{360} = \frac{x r}{y d}$	ad leg
Circumference of a Circle $C = 2\pi r$ Arc Length(Portion/360 * $2\pi r$ )			Area of a Circle $A = \pi r^2$ Area of a Sector of a Circle(Portion/360 * r)		(Portion/360 * $\pi r^2$ )
A m B	$L = 2\pi r \left(\frac{m^{\circ}}{360^{\circ}}\right)$		∧ m°	$A = \pi r^2 \left(\frac{m^\circ}{360^\circ}\right)$	

$L = 2\pi r \left(\frac{m^{\circ}}{360^{\circ}}\right)$	$A = \pi r^2 \left(\frac{m^\circ}{360^\circ}\right)$					
Population Density						
Population density = $\frac{\text{number of people}}{\text{area of land}}$						
Area of a Regular Polygon <b>A</b> = ½ <b>p</b> a p = perimeter a = apothem						
Area of a Rhombus or Kite $A = \frac{1}{2} d_1 d_2$ $d_1 = diagonal 1$ $d_2 = diagonal 2$						
<b>PRISM</b> Lateral Area of a Right Prism <b>LA = p·h</b> where p = perimeter of base and h = height*or you can find the area of each lateral face then addthem up	Volume of a Right Prism V = B·h					
Total Area of a Right PrismTA = LA + 2Bwhere B = AREA of one base						
CYLINDERLateral Area of a Right Circular CylinderLA = $2\pi rh$	Volume of a Cylinder $V = \pi r^2 h$					
Total Area of a Right Circular Cylinder <b>TA = LA + 2B</b> where $B = \pi r^2$ the area of 1 base						
<b>PYRAMID</b> Lateral Area of a <b>REGULAR</b> Pyramid $LA = \frac{1}{2} \cdot p \cdot \ell$ *or find one lateral face and multiply by the total numberof lateral faces	Volume of a Pyramid $V = \frac{1}{3}Bh$ where B = area of the base and h = height of pyramid					
<b>Total Surface Area = LA + B</b> where B = area of the base						

<b>CONE</b> Lateral Area of a Cone = $\pi \cdot \mathbf{r} \cdot \boldsymbol{\ell}$ where $\boldsymbol{\ell}$ is the slant height	Volume of a Cone	$\mathbf{V} = \frac{1}{3}\pi r^2 h$
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SPHERE		4 _ 3
Total Area of a Sphere <b>T.A.</b> = $4 \cdot \pi \cdot r^2$	Volume of a Sphere	$\mathbf{v} = \frac{1}{3}\pi r^2$