Honors Geometry Chapter 6 BI Online Review

1. \overline{GX} and \overline{HX} are angle bisectors of $\triangle GHJ$. Find m $\angle XHG$ and the distance from X to \overline{GH} .



3. Is it possible to have a triangle with lengths 4, 6, and 10? Explain.

4. If two sides of a triangle are 15, & 20 what are the possible lengths for the third side?

a) If RS = ST and $m \angle 1 > m \angle 2$, then RU TU. 5. b) If RS = ST and RU = TU, then $m \angle 3$ _____ $m \angle 4$. c) If RU = TU and ST < RS, then $m \angle 3$ $m \angle 4$.



6. In Δ KLM, if KL = 9, LM = 12 and MK = 13, what is the largest angle?

7. Write an indirect proof in paragraph form. Given: $m \angle 2 = 1/3 m \angle 1$ Prove: $RS \neq RT$

a)





9. What is the distance from X to \overline{ON} ?



R

3

Т

10. If WX = 3.6, WL = 6.1, and KW = 8, what is the value of ZW?

11. Point Z is the circumcenter of ΔTUV . What is the value of UV?



*Know the definition of incenter, circumcenter, orthocenter, centroid... how to find each and the relationships formed.

*Know how to inscribe and circumscribe a circle about a triangle – you must construct and clearly explain each step in the construction.

Answers:

1. angle bisectors intersect at the incenter which is equidistant from the sides of a triangle, so \angle XHG is 39⁰ and X to GH is 14.2

2. a)
$$x = y = 3\sqrt{2}$$
 b) $x = \frac{5\sqrt{3}}{3}$ $y = \frac{10\sqrt{3}}{3}$
3. NO
4. $5 < x < 35$
5. a) > b) = c) >
6. angle L

7. Assume that RS = RT. Then angle 2 is congruent to angle 3 by the isosceles triangle theorem and $m \angle 1 = m \angle 2 + m \angle 3$. So $m \angle 1 = 2(m \angle 2)$ and $m \angle 2 = \frac{1}{2} m \angle 1$. This contradicts the given. Therefore our assumption is false and RS does not equal RT.

8.40⁰,24

9.8

10. medians intersect at the centroid which is 2/3 the distance from the vertex to opposite side, so 2/3 ZL = 6.1, ZL = 9.51 and ZW = 3.05

11. The circumcenter is the point where the perpendicular bisectors intersect, which is equidistant from the 3 vertices of a triangle.

Thus, VZ = 24 and triangle VZU is isosceles, which makes UV = 45.